

KLINDUKH, Aleksandr Mikhaylovich; IVANOV, V., red.; ZELENKOVA, Ye..

[Calculating the assembly-line building of standard apartment
houses] Raschet potochnogo stroitel'stva seriinykh zhilykh
domov. Kiev, Gos.izd-vo lit-ry po stroit. i arkhit. USSR,
1959. 206 p. (MIRA 12:9)
(Apartment houses) (Assembly-line methods)

KLINDUKH, A.M., kand.tekhn.nauk

Drawing up estimates for unfinished building in constructing
apartment houses using assembly-line methods. Trudy MII
no.14:283-294 '59. (MIRA 13:1)

1. Nauchno-issledovatel'skiy institut organizatsii, mekhanizatsii
i ekonomiki stroitel'stva Akademii stroitel'stva i arkhitektury
USSR.

(Building--Estimates) (Assembly-line methods)

SLIPCHENKO, P.S., glav. red.; KUCHERENKO, K.R., red.; PILONENKO, K.I., red.; LESNAYA, A.A., red.; ABYZOV, A.G., red.; BUDNIKOV, M.S., red.; VETROV, Yu.A., red.; GLADKIY, V.I., red.; GOLOSOV, V.A., red.; IZMAYLOV, V.G., red.; KANYUKA, N.S., red.; KAIPOV, E.A., red.; KLINUKH, A.M., red.; KUSHNAREV, N.Ye., red.; LUYK, A.I., kand. tekhn. nauk, red.; NEMENKO, L.A., red.; RYBAL'SKIY, V.I., red.; SITNIK, I.P., red.; FEDOSENKO, N.M., red.; FILAKHTOV, A.L., kand. tekhn. nauk, red.; KHILOBOCHENKO, K.S., red.; VORONKOVA, L.V., red.; KIYANICHENKO, N.S., red.

[Construction industry: technology and mechanization of the construction industry; the economics and organization of construction] Stroitel'noe proizvodstvo: tekhnologiya i mekhanizatsiya stroitel'nogo proizvodstva; ekonomika i organizatsiya stroitel'stva. Kiev, Budivel'nyk, 1965. 180 p. (MIRA 18:4)

1. Nauchno-issledovatel'skiy institut stroitel'nogo proizvodstva. 2. Nauchno-issledovatel'skiy institut stroitel'nogo proizvodstva (for Luyk, Filakhtov).

KAPLAN, Isaak Isaakovich; BOYKO, A.A., retsenzent; KLINDUKHOV, A.A.,
retsenzent; NOSIK, Ye.I., retsenzent; KRASNIOVSKIY, O.V.,
otv. red.; GOLUBYATNIKOVA, O.S., red. izd-va; MINSKER, L.I.,
tekh. red.

[Use of new equipment and techniques in coal mining; basic
stages of technological progress in the Donets Basin mines]
Vnedrenie novoi tekhniki v ugol'noi promyshlennosti; osnov-
nye etapy tekhnicheskogo progressa na shakhtakh Dombassa.
Moskva, Gos. nauchno-tekhn.izd-vo lit-ry po gornomu delu,
1961. 93 p. (MIRA 15:2)
(Donets Basin--Coal mines and mining)

VASIL'YEV, V.P.; VASIL'YEVA, V.N.; KLINDUKHOVA, N.A.; PARFENOVA, A.N.

Equilibria in aqueous solutions of calcium, strontium, and barium
nitrates. Izv.vys.ucheb.sav.;khim. i khim.tekh. 6 no.2:339-341
'63. (MIRA 16:9)

1. Ivanovskiy khimiko-tekhnologicheskii institut, kafedra
analiticheskoy i fizicheskoy khimii.
(Alkaline earth nitrates) (Complex compounds)

FILIPIC, Ivan, dipl. inž. (Ljubljana); KLINE, Alojz, dipl. inž. (Ljubljana)

Corona stabilizer tube, Elektr. vest 31 no.3/5:77-79 Hr.-ly '64.

1. Iskra Electronic Equipment Plant, Incandescent Lamp Branch,
Ljubljana, Kotnikova 16.

KLINE, Gordon M.

Research work on polymers at the National Bureau of Standards.
Polimery twora wielk 7 no.12:444-452 D '62.

1. Polymers Division, National Bureau of Standards, Washington, D.C.

KLINEC, A.

GEOGRAPHY & GEOLOGY

Periodicals: GEOLOGICKE PRACE; ZEPRAVI No. 12, 1958

KLINEC, A. Geologic notes on the crystalline rocks in the Ziar Mountain Range. p. 86.

Monthly List of East European Accessions (EEAI) LC, Vol. 8, No. 5,
May 1959, Unclass.

KLINEC, A.

GEOGRAPHY & GEOLOGY

Periodicals: GEOLÓGICKE PRACE; ZPRAVY. No. 12, 1958

KLINEC, A. Crystalline rocks in the northeastern part of the Lower Magura Mountains. p.93.

Monthly List of East European Accessions (EEAI) LC, Vol. 8, No. 5,
May 1959, Unclass.

KLINER, R.

POLAND

KLINER, Rudolf, First Clinic of Obstetrics and Gynecology
(I Klinika Położnictwa i Ginekologii), A. (Akademia
Medyczna, Medical Academy) in Krakow (Director of clinic:
Prof. Dr. Stefan DOLAN)

"Oxytocinase -- Biochemistry and Clinical Use."

Warsaw, Polski, Gazeta Lekarska, Vol 17, No 51, 17-Dec 62,
no 2001-2005.

Abstract: Author reviews the progress made in biological
determination of oxytocinase as a result of progress in
hormone synthesis. Reviews from the literature our present
state of knowledge of this enzyme and its clinical uses in
obstetrics. He calls for further studies of its role in
the human organism and acquaintance of physicians with its
effects. The 32 references, include 7 Polish, 1 Czech,
3 German, and the balance English references.

1/1

8/194/62/000/006/009/232
D222/D309


AUTHOR: Kliner, Josef

TITLE: The Aritma 520 calculating machine

PERIODICAL: Referativnyy zhurnal. Avtomatika i radioelektronika,
no. 6, 1962, abstract 6-1-84 v (Inform. služba pracov-
niky SPS Aritma, no. 24-25, 478-482)

TEXT: The Aritma 520 is a decimal, relay, digital computer, using the code 8, 4, 2, 1. The machine has 15 decimal digits and ensures the automatic carry-over for numbers exceeding 9 into the next digit. Addition is done pairwise, i.e. to the first term is added the second, to their sum - the third, and so on. Subtraction is done by adding to the minuend the ten's complement of the subtrahend. Multiplication is done by multiplying automatically the multiplicand by each digit of the multiplier with a subsequent addition of the results, and making use of the principle of short-cut multiplication by representing the digits of the multiplier N, exceeding 4, in the form 10-N. Division is done by multiplying the divider by 3, 3, 2 and 1 with a subsequent subtraction or addition

Card 1/2



The Aritma 520 calculating machine

S/194/62/000/006/009/232
D222/D309

with the remainder. Examples of the arithmetical operations are given. 1 figure. [Abstractor's note: Complete translation.] ✓

Card 2/2

38726

8/194/62/000/005/003/157
D222/D309

9.7180

AUTHORS: Hylebrant, Karel and Kliner, Josef

TITLE: New programming plates for the Aritma 520

PERIODICAL: Referativnyy zhurnal. Avtomatika i radioelektronika,
no. 5, 1962, abstract 5-1-57k (Inform. služba pracov-
niky SPS Aritma, 1961, no. 26, 498-508)

TEXT: New plates are described for the programming of the division
($\pm A \pm B$); $\pm C$ at a speed of 4000 operations/hour (plate no. 38),
for the checking of this operation obtained by a multiplication exe-
cuted at the same speed (plate no. 39), for the multiplication
 $\pm A.(\pm B \pm C)$ at a speed of 8000 operations/hour (plate no. 40), and
for checking of this operation at the same speed (plate no. 41). All
operations can be executed on 9-digit decimal numbers. Time-diagrams
of the operation of the calculator are given, together with a draw-
ing of the plates, and an example of a composite division is follow-
ed through, indicating the sequential operation of individual ele-
ments and units. 8 figures. [Abstractor's note: Complete transla-
tion].

Card 1/1

KLINER, Karel, inz.

Dependence of the evaporation from bare earth surface on meteorological factors and soil moisture. Vodni hosp 14 no.8:283-288 '64.

1. Research Institute of Water Resources Management, Prague.

Kling, R.

5
 / A rapid method for determining the total amount of arsenic
 in commercial calcium arsenate by means of ion exchanger
 Renata Kling and Janusz Lindeman (Politech. Inst. Tech.
 ind. Wroclaw, Poland) Chem. Abstr. Warsaw 7: 1117
 (1957) English and Russian summaries. Arsenic was ox-
 idized with HNO_3 and KBrO_3 to As^{5+} , then the acid was
 acidified with HCl and passed through a column with a suit-
 able prepd. cationite. As^{5+} was determined volumetrically in the
 eluate. A phenol-methyl orange Polish standard K. was
 used. In case of standard acids, results obtained by the ion-
 exchanger method are too low (about 80%). Comparative
 measurements by distn. according to the Polish Standard
 PN/C-2010 and those by ion-exchanger method gave good
 agreement. The analysis takes half as long as distn. and a
 smaller app. is required. *Z. Kuzicka*

Distr: 4E2c

Volumetric method for determination of sulfates in the presence of chromium. *Reagents: K₂Cr₂O₇ (ZnO₂ Anal. Inst. Chem. Works, Moscow, U.S.S.R.), 10% NaOH, 10% HCl, 10% NH₄Cl, 10% H₂SO₄ (1958). — To a sample contg. 0.05–0.4 g. SO₄²⁻ and about 1.25 g. Cr₂O₇, add HCl or NaOH to pH 4.5–5.5. Then add 20 ml. acetone, 10 ml. 20% NH₄Cl, and 5 ml. 10% AcOH. Titrate with 0.2N BaCl₂ until a paper strip contg. Na rhodanate as indicator turns pink. The method was proven for standard solns. contg. SO₄²⁻ and Cr₂O₇. The mean error varied from –3 to +3.5%. The method was applied to the analysis of waste products of chromic acid process, which contained about 4% Cr₂O₇ and about 15% SO₄²⁻ and for analysis of tanning liquor contg. about 15% Cr₂O₇ and about 50% SO₄²⁻. The results were compared with those obtained by the gravimetric method. Z. Kartyga*

KLING, E.,

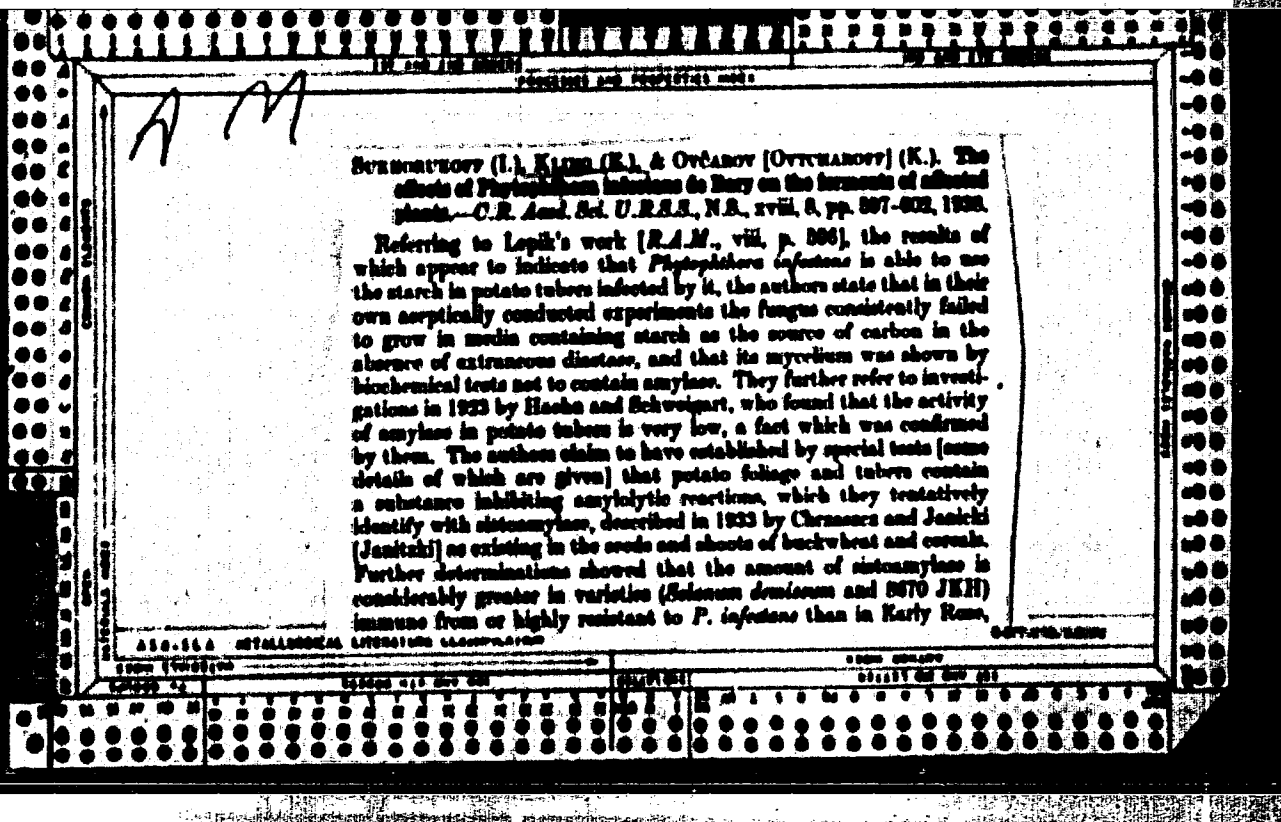
VERNER, A., SUKHOBUKOV, K. T., GERBERSHILAU, E., and SARABANOVA, G. "Bioclimatic Causes, Which Condition the Resistance of Plants to Parasitic Infections," Bulleten' VII Vsesoiuznogo S'ezda po Zashchite Rastenii v Leningrade 15-23 Noiabria 1932 Goda, no. 7, 1932, pp. 24-25, 423.92 V96

Co: Sira Sl-90-53, 15 Dec. 1953

11A

Formation and distribution of lipo. K. Kishchenko, N. S. I. 1, 104 0 (in English and Russian). In investigations upon lipo were carried out, the lipoalys being identified by the "yeast method". Increased nutrition with and carbohydrate does not increase lipo formation, nitrate N markedly lowers the lipo content, ammonium N raises it, and the addition of glucose to the sources of N does not affect lipo formation. Stimulants of the lipo type are widely distributed in living organisms, the formation of lipo prevailing in the green cell under the action of the highly refrangible part of the solar spectrum.

Poland: 1961.



which is very susceptible; the quantity is not constant, however, in potato tubers, but undergoes noticeable changes during the resting period. In yet another series of experiments it was found that in developing on potato (Lewish) tubers the fungus gradually reduced their content of amylase, a peculiarity which is believed to play a prominent part in its biology and in its pathogenicity to the potato. By lowering the content of the potato plant in amylase, which is stated to hinder the development of other micro-organisms, it renders the potato tubers accessible to secondary putrefactive organisms.

R. J. AM.

BUNDOVSKOV (K.) & KILIN (K.). Influence of copper upon the Potato plant.
O. R. Acad. Sci. U.R.S.S., N.S., xlvii, 6, pp. 436-438, 1945.

Leaves from potato plants treated with copper and inoculated with a highly virulent suspension of the conidia of *Phytophthora infestans* showed after four days a poor growth of mycelium of the fungus, with slight formation of conidia and sharply delimited, dark necrosis to the extent of 30 per cent. of the leaf, whereas the controls showed 100 per cent. darkening of the whole leaf, with good growth of mycelium and normal conidial formation. Further experiments showed that, while the growth of *P. infestans* was stimulated in culture by the presence of 0.125 per cent. copper and depressed by stronger solutions, peroxidase activity [*R.A.M.*, xix, p. 300] was greater in the copper-treated leaves than in the controls (in the proportion of 15:1 to 12:1). Potato species and varieties immune from *P. infestans* showed a higher peroxidase activity than susceptibles, and the authors believe that copper does not only protect the plant directly by its toxic action but indirectly through a change induced in the physiological properties of the plant.

Tomsk State U.

KLING, Y.

Plant/Medicine - Botany
Medicine - Biography

Jan/Feb 48

"In Memory of Andrey Aleksandrovich Rikhter,"
E. Kling, V. Novikov, K. Sukhorukov, Moscow,
64 pp

"Botan Zhur" Vol XXXIII, No 1 p. 116-122

Summarizes career of famous botanist and
physiologist (1871 - 1947). Lists published
work. Includes photograph.

36/49140

KLING, F.O.

Gladiolus

Gladiolus is a saponin-bearing plant. Biul. Olav. bot. sada No. 10, 1951

Monthly List of Russian Accessions. Library of Congress, December 1952. UNCLASSIFIED

1. KLING, Ye Q. - KRASNOVA, N.S.
2. USSR (600)
4. Gladiolus
7. Pre-sowing treatment of buds on gladiolus buds. Iz. Glav. bot. sada no.13
1952
9. Monthly list of Russian Accessions, Library of Congress, March 1953, Unclassified

KLING, Ya.G.

Physiology of plants in alkali soils. Biol.Glav.bot. sada no.18:
59-73 '54. (MIRA 8:3)

1. Glavnyy botanicheskiy sad Akademii nauk SSSR.
(Plants, Effect of salts on)

KLING, Ye.O.

Fusarium yellow rot of gladiolus. Biol.Glav.bot.sada no.19:
102-114 '54. (MLBA 8:2)

1. Glavnyy botanicheskiy sad Akademii nauk SSSR.
(Gladiolus--Diseases and pests)

KLING, Ye.O.

Biochemistry of Montbretia. Biol.Glav.bot.sada no.22:99-101 '55.
(MLBA 9:5)

1. Glavnyy botanicheskiy sad Akademii nauk SSSR.
(Tritonia)

KLING, Ye.O.

Physiology of gladioli in the yellows disease. Mul. Olav. bot.
sada no.30:72-77 '58. (MIRA 11:6)

1.Olavnyy botanicheskiy sad Akademii nauk SSSR.
(Gladiolus--Diseases and pests)

KLINO, Ye. G.

Wilt disease of lilacs; preliminary report. Biul. Glav.
bot. sada no. 42:84-90 '61. (MIRA 17:3)

1. Glavnyy botanicheskiy sad AN SSSR.

KLING, Z
KLING, Z

205. GAS COALS FOR DILUTING HIGH QUALITY COAL BLENDS.
Crawford, H., Burton, F. and Kline, E. (Proc. CIBO (Contr. Chior Inst. Metallurg. Found.), 1932, vol. 4, 405-411). The literature on down grading coal charges for coking is surveyed. The blends investigated were composed of coking coals enriched by good coking coal and down graded by gas coal. The suitability of these blends for coking was investigated by the observations of the yields of water, tar, and gas. Laboratory and pilot plant coking experiments were made. The results showed that some coking coals can be used in blends but only in amounts not exceeding 10% of the charge. Coals yielding large quantities of tar at the end of the plastic period are the best for blending purposes. I.S.I.

KLING, Z.

(1) Z. Kling

Polish Technical Abst.
No. 1 1954
Mining

1954 00174.001.5
Czyżewski M., Byrtus F., Kling Z. Flame Coal as a Leasing Factor in
Refined Coal Blends.

„Węgle płomienne jako środek odchudzający w składzie mieszanki węglowej”. *Prace Inst. Metalurgii* No. 61, Katowice, 1953. PWT, 165
pp., 12 figs., 11 tabs.

Determination of the effect of blends leached, by adding flame
coal, on the quality and mechanical properties of coke. Method used
in the investigations, and the authors' own experiments over degassing
flame coal, blend coal, and blends used in coking tests: laboratory and
box coking tests of blends to which flame coal was added. It was
ascertained that flame coal, which yields large quantities of tar at the
end of the plasticity period is the most suitable for leaching blends.

L 45473-66

ACC NR: AT6033352

SOURCE CODE: HU/2505/65/026/01-/0103/0104

AUTHOR: Pickenhain, L.; Klingberg, F.

ORG: Department of Clinical Neurophysiology, Neuropsychiatric Clinic, Karl Marx University, Leipzig

TITLE: Changes in EEG, cortical evoked potentials and startle reactions in rats during the development of a conditioned avoidance reflex [Paper presented at the symposium of the Hungarian Physiological Society held in Budapest from 2-3 July 1963]

SOURCE: Academia scientiarum hungaricae. Acta physiologica, v. 26, no. 1-2, 1965, 103-104

TOPIC TAGS: EEG, rat, conditioned reflex, neurophysiology

ABSTRACT: The experimental method used and the results obtained are described briefly. It is concluded that in all situations which have the character of novelty (essential changes of the situation or motor acts that have not yet become automatized), the evoked potentials, especially their positive components, and the startle reactions are decreased. When the situation has lost its novelty and the acting stimulus has gained a signal meaning (i.e. in the initial phase of the conditioned reflex), or the signal meaning has already changed (i.e. during the extinction), the evoked potentials and the startle reaction increase. [Orig. art. in Eng.] [JPRS]

SUB CODE: 06 / SUBM DATE: none

Card 1/1 fv

0920 1374

PICKENHAIN, L.; KLINGHERO, F.

Changes in ECG, cortical evoked potentials and startle reactions
in rats during the elaboration of a conditioned avoidance reflex.
Acta physiol. acad. sci. Hung. 26 no.1:103-104 '65

1. Department of Clinical Neurophysiology, Neuro-Psychiatric
Clinic, Karl Marx University, Leipzig, GDR.

KLINGBERG, F.; PICKENHAIN, L.

On the role of the hippocampus in the elaboration of conditioned escape reflexes in the rat. Acta physiol. acad. sci. Hung. 27 no.4:359-374 '65.

1. Abteilung fuer Klinische Neurophysiologie, Neurologisch-Psychiatrische Klinik der Karl-Marx-Universitaet, Leipzig, DDR.

HUNGARY

KLINGBERG, Fritz, of the Clinic for Neurology and Psychiatry at Karl Marx University (Neurologisch-Psychiatrische Klinik, Karl-Marx Universität) in Leipzig, Germany, and GRASYAY, Endre, of the Institute for Biology at the Medical University (Orvostudományi Egyetem Elettani Intézete) in Pecs.

"Changes of Optic-Evoked Potentials During Conditioning and Their Relation to the Conditional Startle Reaction"

Budapest, Acta Physiologica Academiae Scientiarum Hungaricae, Vol 23, No 2, 1963, pp. 115-135.

Abstract: [English article; authors' English summary] Similarly to sound stimuli, startle reactions are elicited by conditional light stimuli in an early phase of development of the conditional aversive reflex. At the time of appearance of the startle reactions, general motor inhibition, a decreased cortical electrical tone, and an increase of the late-surface negative waves of the evoked potential can be observed. It is suggested that a common mechanism is represented by this

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3

PICKENHAIN, Lothar, and KLINGBERG, Fritz, Department of Clinical Neurophysiology at Karl Marx University (Karl-Marx-Universität, Abteilung für Klinische Neurophysiologie) in Leipzig.

"Characterization of Differential Stages of Growth in the Rat with the Aid of Electrophysiological and Behavioral Data"

Budapest, Acta Physiologica Academiae Scientiarum Hungaricae, Vol 29, No 3-4, 8 Jun 1966, pp 253-259.

Abstract: [German article] Systematic electrophysiological and behavioral studies were conducted on over 100 unrestrained rats equipped with implanted epidural and subcortical electrodes with motorially predicated defense and nutritional reflexes. The various growth stages could be related to data on electrocardiogram desynchronization degree, amplitude of the evoked potentials, number of photic afterdischarges in the visual cortex, presence and frequency of the reflex in the dorsal hippocampus, respiration rate, and number of startle reflexes. Four principal stages were characterized. 13 references, including 2 Hungarian, 3 German, and 8 Western. (Manuscript received 3 Aug 1965).

1/1

KLINGEN, Ivan Nikolayevich; DUMIN, M.S., prof., doktor sel'skokhos.nauk,
red.; BOYARSKAYA, L.S., red.; ZUBRILINA, Z.P., tekhn.red.

[Among the patriarchs of agriculture of the Near and the Far
Eastern people; Egypt, India, Ceylon, China] Sredi patriarkhov
semledelits narodov Blizhnego i Dal'nego Vostoka; Egipet, Indiya,
TSeillon, Kitai. Moskva, Gos.isd-vo sel'khoz.lit-ry, 1960. 603 p.
(MIRA 13:11)

(Far East--Agriculture)

(Near East--Agriculture)

KLINGER, Andras, dr.

The fourth session arranged by the Census Group of the Conference
of European Statisticians. Stat szemle 37 no.3:313-323 Nr '59.

ACSADI, Gyorgy, dr.; KLINGER, Andras, dr.;

Results of family planning and birth control surveys.
Stat szemle 41 no.3:227-258 Mr '63.

1. Kozponti Statisztikai Hivatal osztalyvezetohelyettese
(for Acsadi).
2. Kozponti Statisztikai Hivatal foosztalyvezetohelyettese
(for Klinger).

KLINGER, B.Sh.; TRUSOVA, M.A.

First find of fossil flora in Zhidaliay sediments of Dzhankasgan
District. Mat.po geol.i pol.iskop.TSentr.Kazakh. no.2:21-22 '62.
(MIRA 15:12)

(Dzhankasgan District--Paleobotany, Stratigraphic)

KLINGER, Andre, dr

A method of preparing abutment teeth by axis deviation. Fogorv.
szemle 47 no.7:232 July 54.

1. A Fogassati Tovabbkepso Iteszethol. (Veseto foorvos: Kende
Janos dr)

(DENTAL PROTHESIS,
abutment teeth, prep. by axis deviation)

KLINGER, G.K.

KASPER, M.A., jt. au.

Experience of introducing precision founding in the Minsk Motorcycle Factory.
Minsk, Gos. izd-vo BSSR, 1954. 22 p. Bibliotekha novatora. (55-30633)

T3236.K55

KLINGER, H.

Radio astronomy. p. 269. TERMESZETI ES TARSADALOMI. (Tarsadalmi- es Természettudományi Ismeretterjesztő Vállalat) Budapest. Vol. 114, no. 5, May 1955. From Lenin's legacy; Lenin's guidance for workers in cultural propaganda work. p. 257.

SOURCE: East European Accessions List (EAL), Library of Congress
Vol. 5, no. 6, June 1956.

KLINGER, M. I.

USSR/Physics - Semiconductors

FD-615

Card 1/1 : Pub. 146-5/18

Author : Klinger, M. I.

Title : Investigation of the energy spectrum of an electron in an ionic semiconductor in the presence of electric and magnetic fields

Periodical : Zhur. eksp. i teor. fiz. 26, 159-167, February 1954

Abstract : Investigates the energy spectrum of an electron which is interacting with optical oscillations of an ionic semiconductor, under the application of mutually perpendicular electric and magnetic fields. It is found that the effective mass of the conductor depends on the electric and magnetic fields as well as on the temperature. Examines the question of the distribution of phonons according to momentum. Thanks Prof A. G. Samoylovich and S. V. Tyablikov.

Institution : Chernovtsy State University

Submitted : July 19, 1953

USSR/Physics - Semiconductors

FD-616

Card 1/1 : Pub. 146-6/18

Author : Klinger, M. I.

Title : Investigation of a polaron semiconductor in the presence of electric and magnetic fields

Periodical : Zhur. eksp. i teor. fiz. 26, 168-172, February 1954

Abstract : Investigates the self-adjusted ground state of a polaron in the presence of mutually perpendicular electric and magnetic fields. Examines the question of the "breaking" of a polaron excited by the electric field. Thanks Prof. A. G. Samoylovich and Prof. S. I. Pekar for their assistance and suggestions.

Institutions : Chernovtsy State University

Submitted : July 18, 1953

USSR/Electricity - Semiconductors

G-3

Abs Jour : Ref Zhur - Fizika, No 3, 1957, No 7012

Author : Klinger, M.I.
 Title : Concerning the Theory of the Hall Effect in Ionic Semiconductors

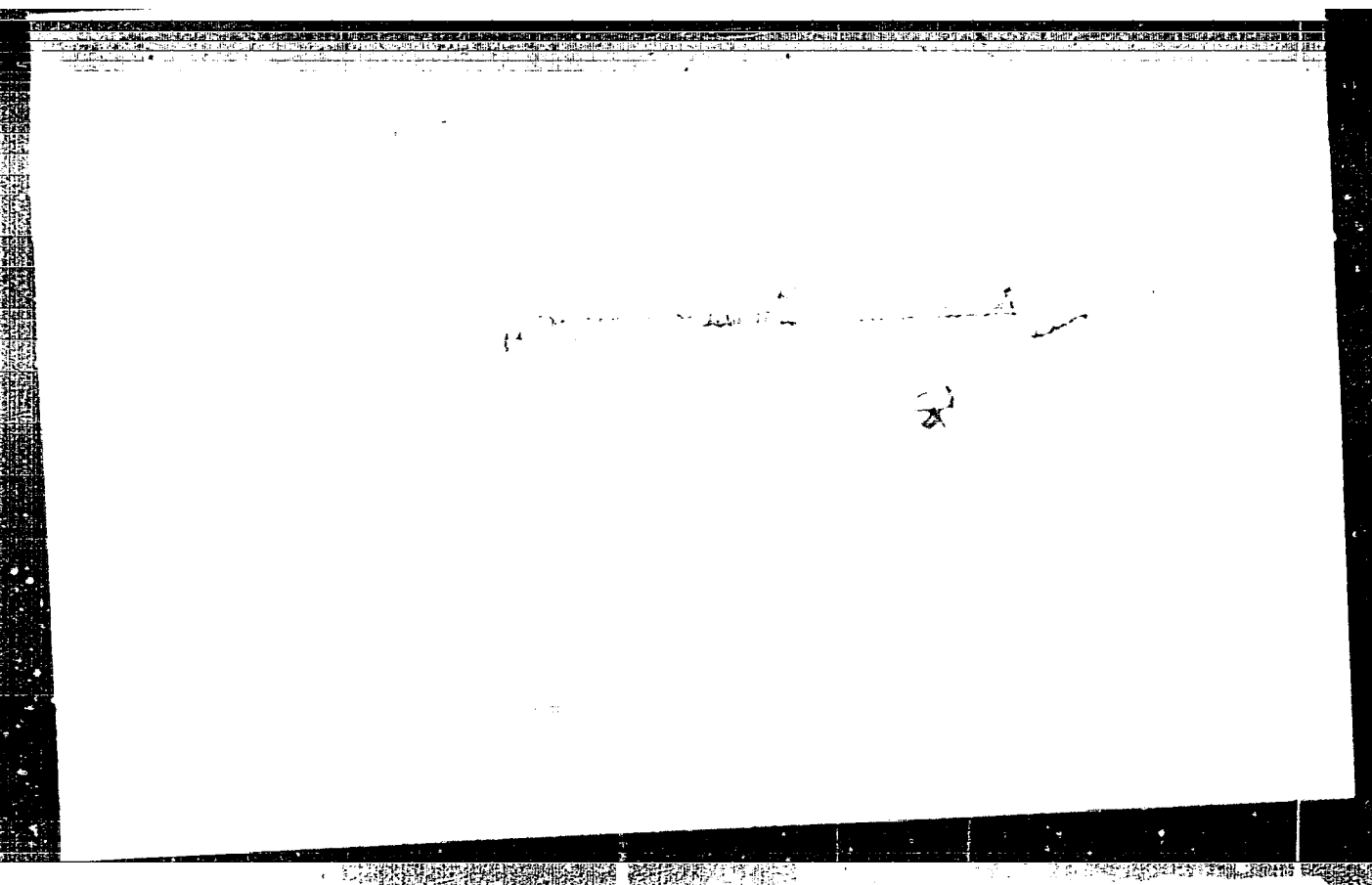
Orig Pub : Zh. eksprim. i teor. fiziki, 1955, 29, No 4, 439-448

Abstract : The Hall constant in an ionic semiconductor is calculated by the method of stationary states, i.e., without using the kinetic equation. This makes it possible to take into account the quantization of the carrier energy in the magnetic field. Account is taken of the interaction between the electrons and the polarization oscillations of the lattice (case of weak and adiabatic coupling are considered). In impurity semiconductors (when carriers of one sign predominate) the results (in the weak coupling method) turn out to be the same as in the ordinary scheme with the kinetic equation (if one foregoes the "polaron" corrections); but if the conductivity is mixed, there is a rather substantial difference from the kinetic theory. In particular, in a polaron semiconductor the sign of the Hall constant is determined in this case by the ratio of the polarizabilities of the electron and hole polarons.

Card : 1/1

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APPROVED FOR RELEASE: 09/18/2001

CIA-RDP86-00513R000723130007-8"

USSR / Electricity

Abs Jour : Ref Zhur - Fizika, No 4, 1957, No 9727

Author : Klinger, M.I., Chaban, M.M.

Inst : Not given

Title : Concerning the Problem of the Faraday Effect in Semiconductors

Orig Pub : Zh. tekhn. fiziki, 1956, 26, No 5, 938-940

Abstract : When electromagnetic waves pass through a semiconductor placed in a magnetic field (H), the plane of polarization is rotated. The angle of rotation θ , called the Faraday angle, is $\theta = VH$, where l is the thickness of the specimen and V is the Verdet constant.

$$V = \frac{4\pi R\sigma^2}{\eta^2}$$

Here R is the Hall constant, σ is the electric conductivity, and η the index of refraction. This formula takes into account only the rotation of the plane of polarization by free carriers. The rotation of the lattice itself is appa-

Card : 1/2

USSR / Electricity

0

Abs Jour : Ref Zhur - Fizika, No 4, 1957, No 0727

Abstract : rently much weaker. An estimate of the value of V shows that, for example, for n-Ge in the case of carrier concentration $n = 10^{16} \text{ cm}^{-3}$, $V = 2 \times 10^{-2}$, i.e., at $H = 10^4$ gauss and $l = 10^{-4} \text{ cm}$ we get $\theta =$ approximately 1° , i.e., this effect can be measured. It is proposed to employ the Karaday effect for the determination of the temperature dependence of the mobility and to calculate the effective mass of the carriers.

Card : 2/2

KLINGER, M.I.

SUBJECT
AUTHOR
TITLE

USSR / PHYSICS

CARD 1 / 2

PA - 1579

KLINGER, M.I., NOVIKOVA, V.G., AGARKOVA, V.N.

On the Theory of the HALL- and NERNST Effects in a Semiconductor with an Admixture Zone.

PERIODICAL

Zurn.techn.fis, 26, fasc.10, 2185-2194 (1956)
Issued: 11 / 1956

The present work is a continuation of that by A.G.SAMOJLOVIĆ and M.KLINGER, Zurn.techn.fis, 25, 12, 2050 (1955) and investigates the HALL effect in a semiconductor with narrow (donorlike) admixture zone with univalent admixture. However, at first the same effect is investigated for a metal with narrow conductivity zone. HALL'S constant R of such a metal is derived by means of the general formula for any dispersion law of the energy of an electron. A simple cubic atomic lattice is assumed on this occasion. With $n/n_0 > 1$ and $n/n_0 < 1$ R is positive or negative respectively. HALL'S constant is then determined by the holes or by the electrons respectively. If $n = n_0$ (i.e. if the zone is half filled up) $R = 0$. Here n denotes the number of electrons in the narrow zone and n_0 the density of the atoms in the lattice corresponding to the narrow zone. Now the constant R of a semiconductor with a narrow admixture zone is computed for the case of two zones. In the case of electronic conductivity in both zones it is true, as expected, that $R(T) < 0$. Naturally, the results obtained here hold also if the valence zone and the acceptor admixture zone are

AUTHOR: KLINGER, M.I. PA - 2025
TITLE: On the Theory of Galvanomagnetic Phenomena in Semiconductors.
PERIODICAL: Zhurnal Eksperimental'noi i Teoret.Fiziki, 1956, Vol 31, Nr 6,
 pp 1055-1061 (U.S.S.R.)
 Received: 1 / 1957 Reviewed: 3 / 1957

ABSTRACT: The same author made the attempt in a previous work (Zhurnal Eksperimental'noi i Teoret.Fiziki, 1955, Vol29, Nr 439) to apply the computation method of S.TITEICA (Ann.d.Phys.22,129 (1935)) for the computation of the isothermal HALL effect and of the resistance in a transversal magnetic field. This method makes it possible to take the quantisation of the energy spectrum of the current carriers into account. The present work investigates the application of this method in the case of the computation of the resistance of a semiconductor and of HALL'S constant in a strong transversal magnetic field. Several alleged deficiencies of TITEICA'S work are pointed out. The object of the investigation is a current carrier which moves in a solid body in the presence of electric and magnetic fields which are vertical to one another and enters into interaction with the phonons. The crossed electric and magnetic fields ($E \perp H$) change the spectrum of the current carrier, so that the energy of the current carrier (in consideration of electron spin) is determined by the following expression:

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PA - 2025

On the Theory of Galvanomagnetic Phenomena in Semiconductors.

$$\epsilon Q_{\pm} = P_x^2/2\mu + \hbar \omega_0 (n + 1/2) + eE x_0 \pm \mu_B H$$

$$n = 0, 1, 2, \dots; \omega_0 = eH/\mu c; x_0 = -P_y/\mu \omega_0 - eE/\mu \omega_0^2$$

Here x_0 denotes the center of the oscillator, μ_B - BOHR'S magneton, μ - the effective mass of the corresponding quasi-particle. As, when applying the fields, the motion of the current carrier becomes anisotropic, it is necessary to introduce the tensors $\sigma_{ik}(H)$ ($i, k=1, 2, 3$) and $\rho_{ik}(H)$ of electric conductivity into the investigation. It applies in this case that $\sigma_{13} = \sigma_{23} = \rho_{13} = \rho_{23} = 0$.

The HALL effect and the electric resistance in a strong transversal magnetic field in semiconductors. The amperage j_y in an

unlimited gyrotropic medium can be computed in a general case as follows: a) By computing $\hat{\varphi}_y = [y \hat{\mathcal{H}}]$, where $\hat{\mathcal{H}}$ denotes the HAMILTONIAN of the system in the case of crossed fields, b) By means of the density matrix $\hat{\rho}$ belonging to $\hat{\mathcal{H}}$ the amperage $j_y = |eSp(\hat{\rho} \hat{\varphi}_y)|$ is determined. In the simplest case, in which

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KUNIGER, M.I.

APPROVED FOR RELEASE: 09/18/2001

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"APPROVED FOR RELEASE: 09/18/2001

CIA-RDP86-00513R000723130007-8

KLINGER, M. I.

APPROVED FOR RELEASE: 09/18/2001

CIA-RDP86-00513R000723130007-8"

AUTHORS: Klinger, M. I., Voronyuk, P. I. 57-27-7-33/40

TITLE: Galvanomagnetic Phenomena in n-Ge or n-Si Monocrystals in Strong Magnetic Fields (Gal'vanomagnitnyye yavleniya v monokristalle n-Ge ili n-Si pri sil'nykh magnitnykh pol'yakh).

PERIODICAL: Zhurnal Tekhnicheskoy Fiziki, 1957, Vol. 27, Nr 7, pp. 1609-1613 (USSR)

ABSTRACT: The electric resistance ρ_H in a transverse magnetic field H and the Hall-constant R in strong fields H in a monocrystal of the type n-Ge or n-Si are investigated here. The conductivity-electron in Ge or Si is a quasi-particle with an anisotropic mass (m_1 - transverse mass, m_2 - longitudinal mass), its surfaces of the constant energy are ellipsoids of revolution of which eight are present in Ge and six in Si. In a magnetic field the energy-spectrum of these conductivity-electrons is quantized and in sufficiently strong H this effect plays an important part. In the calculation ρ_H and R this effect and the anisotropic character of the electron-mass (in the present paper) are taken into account.

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Galvanomagnetic Phenomena in n-Ge or n-Si Monocrystals in Strong Magnetic Fields 57-27-7-33/40

It is shown that q_H and R rapidly increase with increasing $\frac{H}{T}$, just as in an isotropic case. What is new in comparison with an isotropic case is that the quantities N , R and q_H are highly anisotropic. N - the electron-number density of the ellipsoid. It is shown that the anisotropy of the quantities q_H and R is the distincter the higher the anisotropy of the mass

$$\ell = \frac{n_2}{n_1}$$

But as the anisotropy $N(H, T)$ is the determinant element, not only q_H and R but also other equilibrated kinetic coefficients are exponentially anisotropic. There are 4 references, 3 of which are Slavic.

Card 2/3

Galvanomagnetic Phenomena in n-Ge or n-Si Monocrystals in
Strong Magnetic Fields

57-27-7-33/40

ASSOCIATION: Institute for Semiconductors AS USSR; State University of
Chernovtsy (Institut poluprovodnikov AN SSSR,
Chernovitskiy gosudarstvennyy universitet).

SUBMITTED: January 28, 1957

AVAILABLE: Library of Congress

1. Single crystals-Electrical properties
2. Germanium-Electrical properties
3. Silicon-Electrical properties

Card 3/3

KLINGHER, M.I.

Low temperature anomalies in impurity semiconductors. Zhur.tekh.fiz.
27 no.8:1915-1919 Ag '57. (MIRA 10:9)

1. Institut poluprovodnikov Akademii nauk SSSR, Leningrad.
(Semiconductors) (Low temperature research)

KLINGER, M.I.

AUTHOR
TITLE

Klinger M.I.
Remarks on the Low-Temperature Anomalies in the Impurity Semi-
conductors.II.
(K voprosu o nizkotemperaturnykh anomal'yakh v primesnykh polu-
provodnikakh.II. - Russian)
Zhurnal Tekhn.Fiz., 1957, Vol 27, Nr 8, pp 1919-1922 (U.S.S.R.)

PERIODICAL
ABSTRACT

First the equation for $\exp \frac{H}{T}$ (see work of same author in T, 1957
Vol 27, p 271, formula (8)) is deduced. A hole-semiconductor with n_A
monovalent donor centers per cbcm and with n_A acceptors is investi-
gated, $n_A < n$ being assumed as ever. After this the author compares
the results of his work mentioned above with the experiments of
Fritzsche, L.Horovitz (Phys.Rev. 99,400,1955) and he shows that the
linear dependence $\frac{\Delta \rho}{\rho}$ on H/T found out in their work does not
contradict the $\frac{\Delta \rho}{\rho} \sim H$ formula (9) obtained by himself. He points
at the still unsolved problem, why in p- and n-Germanium $\frac{\Delta \rho}{\rho} \sim H^2$
in the case of low T (and great $\frac{H}{T}$) with the increase of $\frac{H}{T}$
 $\frac{\Delta \rho}{\rho}$, and why it decreases to very small values but still remains
positive. Some unconsidered circumstances are mentioned which
influence this phenomenon and which still have to be investigated
exactly. (2 Slavic references)

Card 1/2

APPROVED FOR RELEASE: 09/18/2001

CIA-RDP86-00513R000723130007-

Remarks on the Low-Temperature Anomalies in the Impur- 57-8-36/36
ity Semiconductors.II.

ASSOCIATION

Leningrad Institute for Semiconductors of the Academy of Sciences
of the U.S.S.R.
(Institut poluprovodnikov AN SSSR, Leningrad).

SUBMITTED
AVAILABLE
Card 2/2

January 28, 1957
Library of Congress.

KLINGER, M. I.

57-10-13/33

AUTHORS: Klinger, M. I., and Zosulya, Yu. I.

TITLE: Contribution to the Theory of Semiconductors with the Excited Impurity Zone (K teorii poluprovodnikov s возбужденной примесной зоной).

PERIODICAL: Zhurnal Tekhn. Fiz., 1957, Vol. 27, Nr 10, pp. 2285-2290 (USSR).

ABSTRACT: The electric properties of a semiconductor with a fundamental impurity level and an excited impurity zone are investigated. The electric conductivity σ , the Hall constant R , and the thermoelectric force α were investigated. On the strength of the investigation following can be said. 1) $\bar{\mu}(T)$, $\sigma(T)$, $R(T)$, and $\alpha(T)$ of a semiconductor with an excited impurity zone behave qualitatively like a semiconductor with a fundamental impurity zone if T is changed. The taking into account of the impurity zone which is more excited than the p-zone in the case of existence of not split up deeper lying impurity zones leads qualitatively to the same results. On the other hand the temperature distribution of $\bar{\mu}(T)$ and $R(T)$ is qualitatively similar to that of $\sigma(T)$ and $R(T)$ in Ge at low T obtained by H. Fritzsche and K. Lark-Horovitz (Physica, XI, 834, 1954). 2) The impurity concentration in the Ge-sample used by

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APPROVED FOR RELEASE: 09/18/2001

CIA-RDP86-00513R000723130007-

Contribution to the Theory of Semiconductors with the Excited Impurity Zone.

57-10-13/33

Fritzsche and Lark-Horovitz is low: $n_0 \sim 10^{15} \text{ cm}^{-3}$. n_0 is the impurity concentration. If, however, the anisotropy of the electronic mass m_{1k} and the anisotropy of the dielectric constant ϵ_{1k} , and especially the fact that the excited impurity zone leads to similar results in the paper of F-I-H is taken into consideration, it becomes obvious why already at $n_0 \sim 10^{15}$ in Ge at low T the influence of the impurity zone is exercised. This is even the case if it is assumed that the impurity atoms form almost in the fundamental lattice a kind of superstructure - an impurity lattice. Therefore the authors are of the opinion that on the strength of the mentioned paper by Fritzsche one cannot draw the conclusion that an impurity lattice does not exist and that the impurity atoms are statistically distributed in the fundamental lattice. There are 3 figures and 2 Slavic references.

ASSOCIATION: Chernovtsy State University (Chernovitskiy gosudarstvennyy universitet).

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Contribution to the Theory of Semiconductors with the
Excited Impurity Zone.

57-10-13/33

SUBMITTED: October 5, 1957.

AVAILABLE: Library of Congress.

Card 3/3

KLINGER, M. I.

AUTHOR: Klinger, M. I.

57-12-12/19

TITLE: Remarks on the Theory of Transfer Phenomena.
(K teorii yavleniy perenosa).

PERIODICAL: Zhurnal Tekhnicheskoy Fiziki, 1957, Vol. 27, Nr 12,
pp. 2780-2783 (USSR)

ABSTRACT: Reference is made to the papers by Kubo, Nakadзима and Tomita (reference 1), who, starting from the equations of motion of the matrix of the density ρ , have advanced another step in comparison to Boltzmann's equation. The general formulae for the tensors, which characterize the differential electromotive forces, the Peltier heat and the heat conductivity are obtained here in the same way as the general formula for the tensor of electric conductivity is obtained in the papers referred to. For this purpose, the gradients of temperature T (or $\frac{1}{kT}$) and of the chemical potential μ (or $\frac{u}{kT} \equiv \chi$) are introduced into the equations of motion of ρ , applying the method proposed by Samoylovich and Korenblit (reference 5). This is conducted in the case, where the system (i.g. the electron- and phonon-field in

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Remarks on the Theory of Transfer Phenomena

57-12-12/19

interaction with each other) is expressed by fields, which interact by means of a repeated quantization. On the occasion of the deduction of the formulae for $A(\omega)$ and $B(\omega)$ it appears, that an effect is automatically taken into consideration, which up to now had never been investigated. This effect consists in the following circumstances if, for the sake of simplicity, an admixture-semiconductor is considered. On the assumption, that the conduction zone represents an ionization-continuum of the electron of the admixture atom, the operator of the electron field Ψ is obtained. In this case H_{int} consists of three terms, of which $H_{int}^{(1)}$ represents the interaction, $H_{int}^{(2)}$ the virtual transitions of electrons from the admixture level into the zone and vice versa under the influence of the interaction with the phonones, and $H_{int}^{(3)}$ the virtual transitions between the admixture levels of the admixture. It can be shown, that $H_{int}^{(3)}$ furnishes no contribution towards σ , but contributes

Card 2/4

Remarks on the Theory of Transfer Phenomena

57-12-12/19

toward $\alpha_{\mu\nu}$, $\chi_{\mu\nu}$ and $\kappa_{\mu\nu}$. The $H_{\text{int}}^{(2)}$ operator contributes towards $\sigma_{\mu\nu}$ (and towards $\alpha_{\mu\nu}$, $\chi_{\mu\nu}$, $\kappa_{\mu\nu}$ of course). The H_{int} operator contributes toward $\sigma_{\mu\nu}$, and towards $\alpha_{\mu\nu}$, $\chi_{\mu\nu}$, $\kappa_{\mu\nu}$ of course). An immediate computation shows, that $H_{\text{int}}^{(2)}$ leads to a reduction of the electric conductivity $\sigma_{\mu\nu}$. If the valence-zone is taken into consideration, corresponding contributions towards χ , H_{int} and $\sigma_{\mu\nu}$ appear. The paper was discussed with Professor A. G. Samoylovich and L. L. Korenblit. After this paper had gone to the press already, the author obtained knowledge of the paper by Nakano in Progr.theor.phys., 17, 145, 1957. It is pointed, to the circumstance, that the author does not consent with Nakano's deduction of σ . Moreover, it is shown, that the final equation for σ obtained by Nakano can be deduced from the formula for $\sigma_{\mu\nu}$, if the exponential function (eksponenta) in the integral with respect to τ is replaced by its asymptotic value for $\tau \rightarrow \infty$ at all values of τ . Such an approximation, however, can not be considered to be justified, because in the case of small τ the relation

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Remarks on the Theory of Transfer Phenomena

57-12-12/12

may be quite different. In this approximation the contribution of the virtual processes is not taken into consideration. There are 6 references, 3 of which are Slavic.

ASSOCIATION: Institute for Semiconductors AN USSR, Leningrad
(Institut poluprovodnikov AN SSSR Leningrad)

SUBMITTED: April 20, 1957

AVAILABLE: Library of Congress

Card 4/4

KLINGER, M. I.

AUTHORS: Samoylovich, A. G., Klinger, M. I.,
Nitsovich, V. M.

57-12-13/19

TITLE: On the Correlation Between the Electrons in Narrow
Admixture Zones of Semiconductors (O korrelyatsii meshdu
elektronami v uskikh primesnykh zonakh poluprovodnikov).

PERIODICAL: Zhurnal Tekhnicheskoy Fiziki, 1957, Vol. 27, Nr 12,
pp. 2784-2785 (USSR)

ABSTRACT: In this paper, the influence of the correlation between
the electrons on the electron distribution in a narrow
admixture zone and on the electron distribution according
to quasi-momenta. The investigation is started from the assu-
tion, that only electrons situated in one admixture centre
may interact with each other. From the result obtained,
(equation) it can be seen, that in the case of $A^k = 0$ (no
correlation) the ordinary statistical formulae by Fermi-Dirac
(with an exactitude including A^{k^2}) are obtained. In the
case of $A^k \rightarrow \infty$, (infinite correlation, implying the
absolute impossibility of finding two electrons in one
admixture atom) a further formula is deduced from the former
one. The formulae deduced here, show, that the correlation

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On the Correlation Between the Electrons in Narrow Admixture 57-12-13/19
Zones of Semiconductors

between the electrons leads to a considerable scattering of the electrons within the zone and promotes the occurrence degeneration. A more exact investigation of the influence of the correlation between electrons on the kinetics of processes in the narrow admixture zone will be conducted by V. M. Nitsovich in another place.

ASSOCIATION: Institute for Semiconductors AN USSR, Leningrad
(Institut poluprovodnikov AN SSSR Leningrad)

SUBMITTED: March 27, 1957

AVAILABLE: Library of Congress

Card 2/2

KLIMON, M.I.; VORONYUK, P.I.

Magnetoresistive phenomena in n-GH type semiconductors located in strong magnetic fields [with summary in English]. Zhur. eksp. teor. fiz. 33 no.1:77-87 J1 '57.
(MIRA 10:9)

1. Chernovitskiy gosudarstvennyy universitet i Institut poluprovodnikov Akademii nauk SSSR.

(Semiconductors--Magnetic properties)
(Hall effect)

KLINGER, M.I.

56-2-10/47

AUTHOR: Klinger, M.I.

TITLE: On the Magnetic Susceptibility of Semiconductors with an Admixture Zone in a Strong Magnetic Field. (Magnitnaya vospriimchivost' poluprovodnika s primesnoy zonoj v sil'nom magnitnom pole)

PERIODICAL: Zhurnal Eksperim. i Teoret. Fiziki, 1957, Vol. 33, Nr 2(8), pp. 379-386 (USSR)

ABSTRACT: The paper under consideration shows, that the magnetic susceptibility in strong magnetic fields \vec{H} is the most suitable quantity for the investigation of the admixture zones, of the dispersion law and the position of the corresponding admixture atoms in the principal lattice. On this occasion the author limits himself to the consideration of the simplest type of semiconductors. In its energy spectrum the conduction zone and the main admixture zone are considered, (in the case of a hole-semiconductor: the valence zone and the acceptor-admixture zone). The admixture is here supposed to be univalent, its concentration is denoted by n_0 . The distance Δ between the bottom of the conduction zone and the ceiling of the admixture zone is here considered to be positive. Because of the narrow placement of the admixture zones the deviation of the dependency of the electron energy $\mathcal{E}(\vec{k})$ on the vector \vec{k} from the square function must be taken into consideration. The author puts $\mathcal{E}(\vec{k}) = -\Delta [\cos k_x a + \cos k_y a + \cos k_z a]$. The admixture atoms are supposed to be in a simple principal lattice with the lattice constant a in the main semiconductor $a = n_0^{-1/3}$.

Card 1/2

KLINGER, M.I.

AUTHOR
TITLE

KLINGER, M.I., VORONYUK, P.I.

56-7-13/66

Magnetoresistive Phenomena in n-Ge Type Semiconductors located in Strong Magnetic Fields.

PERIODICAL

(Oal'vanomagnitnyye yavleniya pri sil'nykh magnitnykh pol'yakh v puluprovednikakh tipa n-Ge.- Russian)
Zhurnal Eksperim. i Teoret. Fiziki 1957, Vol 33, Nr 7
pp 77-87 (USSR)

ABSTRACT

The present paper investigates the equilibrium concentration of the electrons, HALL'S constant, and the electrical resistance in semiconductors of the type of n-Ge in the presence of a strong magnetic field. Here the anisotropy of the mass of the electron in strong magnetic fields is taken into account. The computation of current intensity: The electric \vec{E} is assumed to be directed along the X-axis and the vertical magnetic field \vec{H} along the Z-axis. The author here computes the components of the electric current intensity \vec{j} for crossed electric and magnetic fields by the method of steady states. For this purpose the energy spectrum of the electron with anisotropic mass has to be determined. As a mechanism for the scattering of electrons the interaction of an electron with a longwaved longitudinal acoustic phonon is investigated.

CARD 1/2

AUTHORS: Klinger, M. I., Makarycheva, G. A.

57-2-13/32

TITLE: On the Theory of Semiconductors With an Excited Impurity Zone (K teorii poluprovodnikov s vzbuzhdennoy primesnoy zonoj).

PERIODICAL: Zhurnal Tekhnicheskoy Fiziki, 1958, Vol. 28, Nr 2, pp. 264-266 (USSR).

ABSTRACT: This is a letter to the editor. The investigation is based on the results of reference 1. Only the excited impurity-p-zones are taken into account here. It is examined which part they play in the electric conductivity σ , in the Hall effect and in the thermo-electromotive force α . The law of dispersion in the ground-impurity-ls-zone and in the excited p-zones is the same as in references 2 and 3, the designations also all remain the same as in references 2 and 3. It is shown that in all cases the following tendency prevails: on approach of the ground of the p-zones to the center of the ls-zone the level $\epsilon(T)$ at identical T decreases. In the calculation of $G(T)$ and $R(T)$ with the aid of known $\epsilon(T)$ the following results were obtained. 1.) With a rise in T, $\sigma(T)$ in the total interval T decreases just like in the absence of the excited impurity-zones. When these zones are taken into account the decrease takes place slower: the excited zones which are somewhat wider than the ground

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On the Theory of Semiconductors With an Excited
Impurity Zone.

57-2-13/32

zone represent traps for the electrons. 2.) The concentration of the current-carriers in the p-zones first increases with an increase in T and then decreases. 3.) In all cases applies $R(T) < 0$ and $R_{1s} < 0$, $R_{1p} < 0$, $R_{3n} < 0$. In the case of small $\Delta_2 \xi$ (case I, II, III) $|R(T)|$ slowly increases with an increase in T , as far as the electrons of the conductivity-zone play an important part in the case of small $\Delta_2 \xi$. But in the case of higher $\Delta_2 \xi$ (case IV and V) the course with temperature of $|R(T)|$ becomes more complicated: $|R(T)|$ represents a curve with a number of maxima and minima which is apparently to be explained by the complicated interaction of the electron-concentrations in the ls- and p-zones, as well as by the fact that in the case of high $\Delta_2 \xi$ in the conductivity-zone, even at $T = 400^\circ\text{C}$ (as shown by the calculation), few electrons occur and the p-zones are effective electron-traps. As far as $\alpha(T)$ is concerned it depends, like in references 2 and 3, on T , mainly as $\bar{\alpha}(T)$.

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$$\alpha \approx \frac{k\pi}{e} \bar{\alpha}$$

On the Theory of Semiconductors With an Excited Impurity Zone.

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The quantity $\delta(T)$ was here graphically determined for the following 5 cases:

I. $\Delta_1 \epsilon = 0,002 \text{ eV.}$

II. $\Delta_1 \epsilon = 0,$

III. $\Delta_1 \epsilon = -0,002 \text{ eV, } \Delta_2 \epsilon = 0,005 \text{ eV, } \Delta = 0,0025 \text{ eV, } \gamma = 0,005 \text{ eV,}$
 $\beta = 0,015 \text{ eV.}$

IV. $\Delta_1 \epsilon = 0,005 \text{ eV.}$

V. $\Delta_1 \epsilon = -0,01 \text{ eV.}$

$\Delta_2 \epsilon = 0,06 \text{ eV, } \Delta = 0,008 \text{ eV, } \beta = 0,02 \text{ eV, } \gamma = 0,01 \text{ eV.}$

$D_1 = 6\Delta, D_2 = 4\beta + 2\gamma.$

The negative $\Delta_1 \epsilon$ signify that the ground- and the excited impurity-zone overlap.

Professor A. G. Samoylovich showed interest in this work.

There are 4 figures, and 3 references, 2 of which are Slavic.

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On the Theory of Semiconductors With an Excited
Impurity Zone.

57-2-13/32

ASSOCIATION: Institute of Semiconductors AS USSR, Leningrad (Institut poluprovod-
nikov AN SSSR, Leningrad).

SUBMITTED: October 5, 1956.

AVAILABLE: Library of Congress.

1. Semiconductors-Excitation 2. Crystals-Impurities

Card L/1;

KLINGBE, M.I.

Some properties of relaxation functions and kinetic coefficients.
Fiz. tver. tela 1 no.4:674-678 '59. (MIRA 12:6)

1. Institut poluprovodnikov AN SSSR, Leningrad.
(Mathematical physics)

KLINER, M.I.

Statistical theory of the electric conductivity of semiconductors.
Fiz. tver. tela 1 no.6:861-872 Jo '57. (MIRA 12:10)

1. Institut poluprovednikov AN SSSR, Leningrad.
(Semiconductors) (Electric conductivity)

67307

24-0-24.7600
24.7700

AUTHOR: Klinger, M. I.

SOV/181-1-8-12/32

TITLE: On the Statistical Theory of Kinetic Phenomena. II

PERIODICAL: Fizika tverdogo tela, 1959, Vol 1, Nr 8, pp 1225 - 1238 (USSR)

ABSTRACT: The author determines general expressions for the kinetic coefficients by solving the density matrix of a system that is under the action of generalized forces of the temperature gradient type. With the aid of these general expressions (which are calculated in the first part of the present paper) the author then deduces generalized formulas for the kinetic coefficients of a weak electron-phonon interaction. Next, electronic heat conductivity and thermoelectromotive force of semiconductors are investigated. The afore-mentioned generalized formulas hold, irrespective of the specific properties of the relaxation process. In the second part the author calculates in detail and step by step n-type conductivity and thermoelectromotive force in weak electron-phonon scattering. Finally, the following is summarized: 1) The author presents a new derivation of the non-equilibrium part $\rho'(t)$ of the density matrix of the system to which the electric field E is applied. On the basis of this derivation the author postulates the equation of

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On the Statistical Theory of Kinetic Phenomena. II SOV/181-1 -8-12/32

motion of the operator $\rho'(t)$, for the action on a system of small statistical and mechanic forces which are determined by the deviation of the macroparameters of the system from their equilibrium values. By solving these equations one obtains after some transformations the most general expressions for the mean current densities and the kinetic coefficients as well as some of their general properties. These most general expressions are considerably simplified if there is no outer constant magnetic field present. With a weak electron-phonon interaction formulas are deduced for the n-type heat conductivity and the thermoelectromotive force L in the second approximation of the perturbation theory. The results of this paper are compared with those of earlier papers. At the Third Conference on Semiconductors V. L. Bonch-Bruyevich put a paper by R. Zigenlaub at the disposal of the author, which was in print. The author thanks A. G. Samoylovich for his permanent interest in the present paper and for helpful discussions. It was submitted at the Third Conference on Semiconductor Theory held at

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67307

On the Statistical Theory of Kinetic Phenomena. II SOV/181-1-8-12/32

L'vov on April 5, 1959. There are 12 references, 7 of which are Soviet.

ASSOCIATION: Institut poluprovodnikov AN SSSR, Leningrad (Institute of Semiconductors of the AS USSR, Leningrad)

SUBMITTED: July 26, 1957 (initially), and November 3, 1958 (after revision) 4

Card 3/3

24.7700
24(3), 16(2)

67394

SOV/181-1-9-12/31

AUTHOR:

Klinger, M. I.

TITLE:

On the Statistical Theory of Electrical Conductivity of
Semiconductors III

PERIODICAL:

Fizika tverdogo tela, 1959, Vol 1, Nr 9, pp 1385 - 1392 (USSR)

ABSTRACT:

The present paper investigates the electrical conductivity of impurity semiconductors by considering the transitions of electrons from the conduction band to impurity levels (de-ionization) and inversely (ionization) in their unelastic collisions with phonons. It is shown in this connection how new effects which do not appear in the equation of motion can be considered within the density matrix method. The description of the electron field in the semiconductor occurs here in second-quantization representation. The investigation is applied to the special case of an n-type donor semiconductor. After writing down the general equations the theoretical description is continued on the assumption that the concentration of the impurity centers be sufficiently small, so that certain neglects can be made. Among others, expressions for σ_1 and σ_2

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On the Statistical Theory of Electrical Conductivity of Semiconductors. III SOV/181-1-9-12/31

are derived in second disturbance-theoretical approximation, with $I_{\mu}^{(1)} = \sigma_1 E_{\mu}$ and $I_{\mu}^{(2)} = \sigma_2 E_{\mu} (I_{\mu}^{(1)})$ is the electron current in conduction, $I_{\mu}^{(2)}$ the electron current in transitions band impurity level, E is the electric field). Next, the author investigates the influence exerted by the ionization of impurity electrons on the electrical conductivity of an ion crystal, with the electron gas being assumed to be not degenerated. There are 4 references, 3 of which are Soviet.

ASSOCIATION: Institut poluprovodnikov AN SSSR Leningrad (Institute of Semiconductors of the AS USSR, Leningrad)

SUBMITTED: July 26, 1957 (initially) and 1959 (after correction)

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81660

S/181/60/002/06/50/050
B006/B056

24.7800

AUTHOR:

Klinger, M. I.

TITLE:

The Theory of the Piezoresistance in Bi_2Te_3

PERIODICAL: Fizika tverdogo tela, 1960, Vol. 2, No. 6, pp. 1353-1356

TEXT: The effect discovered by C. Smith in Ge and Si consists in the fact that the electric conductivity of the crystal changes as soon as a certain kind of homogeneous deformation voltage is applied to it. The theory of the piezoresistance developed in Ref. 2 is here applied to Bi_2Te_3 and it is investigated what knowledge may be obtained concerning Bi_2Te_3 from measurements of the piezoresistance. First, the general case is dealt with, in which the energy of the conduction electron has several (q) minima without a fixed configuration in the k-space, and that electron transitions between these minima may be neglected. As shown by an estimation, the main effect leading to the occurrence of the piezoresistance in this case is concentration. In the deformation of the crystal, the shifting of the band

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edge differs with different minima, so that, consequently, the degree of the filling up of the regions of the k -space near the various minima changes non-uniformly. The most-occupied minima make a larger contribution towards electric conductivity, i. e. the deformed crystal has an increased conductivity: $\sigma_{j1} = \sigma_{j1} + \delta\sigma_{j1}$, where σ_{j1} is the conductivity of the undeformed crystal. For the additional conductivity $\delta\sigma_{j1}$ expressions are derived. Formula (14) gives these expressions for the individual components as functions of the components of the tensor of the dielectric constant ϵ_{kr} and the tensor of the constants of the deformation potential D_{kr}^s (of the s -th minimum). Formula (14) refers to the first minimum. In a general way (11) holds: $\delta\sigma_{j1} = \sum_{k,r=1}^3 G_{j1;kr} \epsilon_{kr} + \sum_{s=1}^q G_{j1;kr} (\bar{D}_{kr} - D_{kr}^s) \sigma_{j1}$. The $G_{j1;kr}$ are individually determined by (15). If the masses m_1 , m_2 , and m_3 are known, it is possible, by using the results obtained in Ref. 3, to

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determine D_{kr}^1 . The author finally thanks Professor A. G. Samoylovich and Professor A. R. Regel' for discussions. There are 3 references: 1 Soviet and 2 American.

ASSOCIATION: Institut poluprovodnikov AN SSSR Leningrad (Institute of Semiconductors of the AS USSR, Leningrad)

SUBMITTED: August 4, 1959

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S/181/60/002/012/015/018
B006/B063

AUTHOR: Klinger, M. I.

TITLE: Application of the Attenuation Theory to the Calculation of Kinetic Coefficients

PERIODICAL: Fizika tverdogo tela, 1960, Vol. 2, No. 12, pp. 3092-3105

TEXT: The attenuation theory proposed by L. van Hove in Ref. 3 is used to calculate kinetic coefficients in the absence or presence of a magnetic field. For the limiting case of weak interaction between carriers and scatterers, general and explicit expressions are obtained for the kinetic coefficients. In the important special case of elastic, anisotropic scattering which is characterized by the tensor of the relaxation time whose principal axes are arbitrarily directed relative to the principal axes of the effective mass tensor, concrete formulas are given for a large number of effects, such as the galvanomagnetic, the thermomagnetic, and the magneto-optical Faraday effect. Professor A. G. Samoylovich and V. L. Bonch-Bruyevich are thanked for discussions. There are 7 references: 5 Soviet, 2 British, 1 US, 2 Japanese, and 1 Dutch

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Application of the Attenuation Theory to the
Calculation of Kinetic Coefficients

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ASSOCIATION: Institut poluprovodnikov AN SSSR Leningrad (Institute of
Semiconductors of the AS USSR, Leningrad)

SUBMITTED: May 3, 1960

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23102

S/181/61/C03/005/C07/042
B101/B214

34,5200(1164)
24,5100(1057,1537)

AUTHOR: Klinger, M. I.

TITLE: The theory of linear irreversible processes in a strong magnetic field

PERIODICAL: Fizika tverdogo tela, v. 3, no. 5, 1961, 1342-1353

TEXT: The object of the present work is to develop a general theory of kinetic phenomena in a strong magnetic field $H = H_z$, the phenomena being characterized by the kinetic coefficients $\sigma_{AB}(\omega)$. I. Eq.

$$\sigma_{AB}(\omega) = \int_{-\infty}^{\infty} dt \exp(i\omega t - \gamma|t|) \int d\mathbf{r} \langle BA(t + i\beta) \rangle, \quad (1.1)$$

is written down where $\beta = 1/kT$; A, B are the operators of the corresponding electron currents (charge, energy, etc.); $A(t) = \exp(i\mathcal{H}t)A\exp(-i\mathcal{H}t)$; $\langle \dots \rangle = \text{Sp} \rho \dots$; $\rho = \exp\{\beta\mathcal{H} + \beta\mu N - \beta\mathcal{X}\}$; \mathcal{H}, N are the operators of the energy and particle number of the system. Instead of Eq. (1.1) a separate investiga-

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tion of $\sigma_{AB}^{(s)}$ and $\sigma_{AB}^{(a)}$ is preferred, where $\sigma_{AB}^{(s,a)} = 0.5(\sigma_{AB} \pm \sigma_{BA})$; (s, a - symmetric and antisymmetric part). After transformation according to Ref. (9) (R. Kubo, see below) one obtains:

$$\operatorname{Re} \sigma_{AB}^{(s)}(\omega) = (4E_p(\omega))^{-1} \operatorname{Re} \sum_{j=-1,1} \frac{1}{2} (D_{AB}(\omega_j) + D_{BA}(\omega_j)), \quad (1.4),$$

$$\operatorname{Im} \sigma_{AB}^{(s)}(\omega) = (4E_p(\omega))^{-1} \operatorname{Im} \sum_{j=-1,1} \frac{(-1)^j}{2} (D_{AB}(\omega_j) - D_{BA}(\omega_j)), \quad (1.5).$$

P is the sign of the principal value, furthermore

$$D_{AB}(\omega_j) = \int_{-\infty}^{\infty} \exp(i\omega_j t - \eta|t|) \operatorname{Re} \langle BA(t) \rangle; E_p(\omega) = \frac{\pi}{2} \operatorname{cth} \frac{\omega}{2}; \quad \omega_{j,1} = \pm \omega. \quad (\Lambda)$$

holds. II. To obtain $\sigma_{AB}(\omega)$ for weak scattering values of $\langle BA(t) \rangle$ and $D_{AB}(\omega_j)$ obtained in Eq. (1.5) are calculated by expansion in a power series

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of λ . $\langle BA(t) \rangle$ is substituted in $D_{AB}(\omega_j)$ where $D_{AB}(\omega_j) = D_{AB}^{(0)}(\omega_j) + \lambda^2 D_{AB}^{(2)}(\omega_j)$. Substitution of $D_{AB}^{(0)}(\omega_j)$ in Eqs. (1.4), and (1.5) yields for λ^0 approximately (effects independent of scattering):

$$\left. \begin{aligned} \operatorname{Re} \sigma_{AB}^{(0)}(\omega) &= \pi (2E_p(\omega))^{-1} \sum_{j=1,2,\infty} \sum_{\alpha} f_{\alpha}(z) (1 - f_{\alpha}(z')) \times \\ &\quad \times [B(z\alpha), A(z'\alpha)] \delta(\omega_j - \omega_{\alpha}), \\ \operatorname{Im} \sigma_{AB}^{(0)}(\omega) &= \pi (2E_p(\omega))^{-1} \sum_{j=1,2,\infty} \sum_{\alpha} f_{\alpha}(z) (1 - f_{\alpha}(z')) \times \\ &\quad \times [B(z\alpha), A(z'\alpha)] \delta(\omega_j - \omega_{\alpha}), \end{aligned} \right\} \quad (2.6)$$

$$\left. \begin{aligned} \operatorname{Im} \sigma_{AB}^{(0)}(\omega) &= -\omega \sum_{\alpha} f_{\alpha}(z) (1 - f_{\alpha}(z')) (E_p(\omega_{\alpha}))^{-1} \times \\ &\quad \times [B(z\alpha), A(z'\alpha)] P(\omega^2 - \omega_{\alpha}^2)^{-1}, \\ \operatorname{Re} \sigma_{AB}^{(0)}(\omega) &= \sum_{\alpha} f_{\alpha}(z) (1 - f_{\alpha}(z')) (E_p(\omega_{\alpha}))^{-1} \times \\ &\quad \times [B(z\alpha), A(z'\alpha)] P \frac{\omega_{\alpha}}{\omega^2 - \omega_{\alpha}^2}, \end{aligned} \right\} \quad (2.7),$$

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where $f_0(\alpha)$ is the equilibrium function of the electron distribution;
 $[B(\alpha\alpha'), A(\alpha'\alpha)] = (1/2i)(B(\alpha\alpha')A(\alpha'\alpha) - A(\alpha\alpha')B(\alpha'\alpha))$; $A(\alpha\alpha') = (\alpha'A|\alpha')$
 for $\{X, Y\}$. The following results were obtained: 1)
 $\text{Re} \sigma_{AB}^{(0)}(s)$ and $\text{Im} \sigma_{AB}^{(0)}(s)$ differ from zero only at resonance frequencies $\omega_{\alpha\alpha'}$;
 2) $\text{Im} \sigma_{AB}^{(0)}(s)$ and $\text{Re} \sigma_{AB}^{(0)}(s)$ are different from zero for all frequencies not
 being resonance frequencies ω_{nr} . $\text{Re} \sigma_{xy}^{(0)}(s)$ is the Hall conductivity.
 $\text{Re} \sigma_{AB}^{(s)}$ and $\text{Im} \sigma_{AB}^{(s)}$ at $\omega = \omega_{\text{nr}}$ are calculated in λ^2 approximation (these ef-
 fects depend on scattering). $\lambda^2 D_{AB}^{(2)}(\omega_j)$ is calculated. After transformation
 and taking into consideration the δ functions of the conservation of energy
 scattering contained in $D_{AB}(\omega_j)$ one obtains from Eq. (1.4):

$$\begin{aligned} \text{Re} \sigma_{AB}^{(s)}(\omega) = n \lambda^2 (2E_p(\omega))^{-1} \sum_{j=1,2} (\epsilon^{2j} + 1) \sum_{\alpha, \alpha'} p_0(\alpha\alpha') (1 - f_0(\alpha)) \times \\ \times \delta(\Omega_{\alpha, \alpha'}) \text{Re} ((\alpha_1 | V | \alpha'_1) (\alpha_2 | V | \alpha'_2) (\omega'_{\alpha, \alpha'})^{-1} \overline{B(\alpha'_1) A(\alpha_2)})^{(s, \omega)} - \\ - \overline{B(\alpha'_1) A(\alpha_2)}^{(s, \omega)} (\alpha_1 | V | \alpha'_1) (\alpha_2 | V | \alpha'_2) (\omega'_{\alpha, \alpha'})^{-1}. \end{aligned} \quad (2.6)$$

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where

$$\left. \begin{aligned} B(a_1) A(a_2)^{(1)} &= [B(a_1) A(a_2)], \\ B(a_1) A(a_2)^{(2)} &= (-1)^j [B(a_1) A(a_2)], \\ \Omega_{a_1, a_2} &= \omega_{a_1} + \omega_{a_2} - \omega_{a_1} = \omega_{a_2} + \omega_{a_1} - \omega_{a_1} \end{aligned} \right\} \quad (2.9); q_0(a_1)$$

is the equilibrium function of the distribution in the nonperturbed system. $\sigma_{AB}(\omega)$ in strong magnetic field can be calculated from Eqs. (2.6), (2.7), and (2.8). III. Kinetic phenomena in strong magnetic field in the gas free electrons. 1) For free electrons with effective mass m , $\alpha = (n, k) = \bar{n}$, $k = k_y$, $n = 0$, one has

$$|a\rangle = \exp(iyk_y + izk_z) \Phi_0(x - x_0), \quad x_0 = -k_y (m\omega_c)^{-1}, \quad (B)$$

where $\Phi_n(x)$ is the state vector of the unidimensional Landau oscillator (L. D. Landau, 1930). First the λ^0 effects are investigated. For the electric conductivity (with arbitrary degeneracy of the electrons) the following Eqs. are written:

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$$\left. \begin{aligned} \text{Re} \sigma_{xx}^{(0)} &= (e^2 N/m) (\pi/2) \delta(\omega - \omega_0), \\ \text{Im} \sigma_{xy}^{(0)} &= -(e^2 N/m) (\pi/2) \delta(\omega - \omega_0) \end{aligned} \right\} \quad (3.1).$$

For $\omega = \omega_{nr} \neq \omega_0$ $\text{Im} \sigma_{xx}^{(0)} = (e^2 N/m) [\omega / (\omega^2 - \omega_0^2)]$; $\text{Re} \sigma_{xy}^{(0)} = (e^2 N/m) \omega_0 / (\omega^2 - \omega_0^2)$
 $\sigma_{xy}^{(0)}(\omega = 0) = (eN/H)c$ (3.2). N - concentration of the electrons. For the antisymmetric Peltier coefficients the following is written down:

$\Pi_{xy}^{(0)}(a)(\omega = 0) = (eN/m\omega_0) [kT/2 + \omega_0 \text{oth}(\beta\omega_0/2)]$ (3.3). 2) λ^2 effects are obtained from Eq. (2.9) after transformation: a) For the electric conductivity

$$\text{Re} \sigma_{xx}(\omega) = \sigma_{xx}^{(0)}(\omega) + \sigma_{xx}^{(2)}(\omega), \quad (3.5),$$

$$\sigma_{xx}^{(2)}(\omega) = \frac{e^2 N^2 \omega_0^2}{2E_F(\omega)(\omega_0^2 - \omega^2)^2} \sum_{a_1} \sum_{a_2} p_a(a_1) \delta(\Omega_{a_1 a_2}) |a_1 a_2| |V(k\gamma)|^2 \times \\ \times (1 - f(a_1))(x_a - x_{a_1})^2, \quad (3.6),$$

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$$\sigma_{ss} = \frac{\pi \lambda^2 \omega_{ss}}{8mE_p(\omega)(\omega_s^2 - \omega^2)^2} \sum_{j=1,2} \sum_{a_1, a_2} \rho_0(a_1) \delta(\Omega_{a_1, a_2}) (1 - f_0(a_1)) \times \quad (3.7).$$

$$\times \left[\frac{\omega}{\omega_s^2} \left| (a_1 \eta_1 \left| \frac{\partial V}{\partial x} \right| a_1) \right|^2 (\epsilon^{2j} + 1) + 4(-1)^j (\epsilon^{2j} - 1) \omega_s \text{Re} \times \right.$$

$$\times \left. \left[(a_1 | (x - x_s) V | a_1 \eta_1) (a_1 \eta_1 \left| \frac{\partial V}{\partial x} \right| a_1) \right] \right].$$

b) For the thermomagnetic coefficients:

$$\pi_{ss} = \pi \lambda^2 \rho_0 \sum_{a_1, a_2} \rho_0(a_1) \delta(\Omega_{a_1, a_2}) \left| (a_1 \eta_1 | V | a_1) \right|^2 (x_s - x_{a_1})^2 \frac{1}{2} (\epsilon_s - \epsilon_{a_1}) (1 - f_0(a_1)), \quad (3.8),$$

$$\pi_{ss} = \pi_{ss}^1 + \pi_{ss}^2 + \pi_{ss}^3,$$

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$$\begin{aligned} \kappa_{xx}^0 &= \pi \lambda^2 \sum_{\alpha, \beta} \rho_{\alpha}(\alpha \eta) \delta(\Omega_{\alpha, \beta}) \left\{ \left(\frac{\partial V}{\partial x} \right) \left(\alpha \eta \left| V \frac{\partial}{\partial x} \right| \alpha \eta \right) \right\} (x_0 - x_{\alpha})^2 \epsilon_{\alpha} \epsilon_{\beta} + \\ &+ \epsilon_{\alpha} \frac{2\alpha}{\eta} \left(\alpha \eta \left| \frac{\partial V}{\partial x} \right| \alpha \eta \right) \text{Re}(\alpha \eta | V | \alpha \eta) \left(\alpha \eta \left| V \frac{\partial}{\partial x} \right| \alpha \eta \right) (1 - f_{\alpha}(\alpha \eta)), \\ \kappa_{xx}^1 &= \frac{\pi \lambda^2 \alpha^2}{2\eta} \sum_{\alpha} \rho_{\alpha}(\alpha \eta) \delta(\Omega_{\alpha, \alpha}) \left\{ 2 \left(\alpha \eta \left| V \frac{\partial}{\partial x} \right| \alpha \eta \right) \right\}^2 + \\ &+ \text{Re}(\alpha \eta | \frac{\partial V}{\partial x} | \alpha \eta) \left(\alpha \eta \left| V \frac{\partial}{\partial x} \right| \alpha \eta \right) (1 - f_{\alpha}(\alpha \eta)), \\ \kappa_{xx}^2 &= \pi \lambda^2 \sum_{\alpha} \rho_{\alpha}(\alpha \eta) \delta(\Omega_{\alpha, \alpha}) (\epsilon_{\alpha} - \epsilon_{\alpha}) \times \\ &\times \left\{ \epsilon_{\alpha} \left(\alpha \eta \left| x V \right| \alpha \eta \right)^2 + \frac{2\alpha}{\eta} \text{Re}(\alpha \eta | x V | \alpha \eta) \left(\alpha \eta \left| V \frac{\partial}{\partial x} \right| \alpha \eta \right) \right\} (1 - f_{\alpha}(\alpha \eta)). \end{aligned} \quad (3.9).$$

Hence it follows that 1) κ_{xx}^0 is determined by the contribution of the migration of the oscillation centers; 2) κ_{xx}^1 and κ_{xx}^2 contain moreover a contribution also of the relative motion of the oscillators. The Eqs. (3.5)-(3.9) are used for scattering at phonons where $\lambda V = \sum_{\vec{q}} C_{\vec{q}} \exp(i\vec{q}\vec{x}) (b_{\vec{q}} - b_{-\vec{q}}^+)$. $C_{\vec{q}}$ are the interaction coefficients; and $b_{\vec{q}}$ and $b_{\vec{q}}^+$ are the operators of the

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quantized phonon field. The following is written down for nondegenerate electron gas:

$$\text{Re } \epsilon_{\omega} = \frac{1}{4\pi E_0(\omega)(\omega_0^2 - \omega^2)} \sum_{j=1,2} \sum_{\omega_j > 0} |C_q|^2 \left(\text{sh } \frac{\beta \omega_j}{2} \text{sh } \frac{\beta \omega}{2} \right)^{-1} \times$$

$$\times \left[\left(\omega_0^2 + \frac{\omega^2}{2} \right) \text{ch } \frac{\beta \omega}{2} + 4\omega \omega_j \text{sh } \frac{\beta \omega}{2} \frac{\omega_j}{\omega} \right] \Phi_j(\zeta, q), \quad (3.10).$$

$$\Pi_{xx} = (\pi \lambda^2 \beta_0 / 2) \sum_{q_x q_y | q_z > 0} \left[|C_q|^2 / \text{sh}^2(\beta \omega_q / 2) \right] (\zeta / q_0^2) \tau^{(1)};$$

$$\zeta = q_1^2 q_0^{-2}, \quad q_1^2 = q_x^2 + q_y^2, \quad \omega_q^2 = \omega_0^2 + \omega_j^2$$

In this account has been taken of the fact that
 $f_0(\alpha)(1 - f_0(\alpha_1)) [N_q \delta(\Omega_-) + (1 + N_q) \delta(\Omega_+)] \rightarrow 2(f_0(\alpha_1) - f_0(\alpha)) N_q (1 + N_q) \delta(\Omega_+)$
 $\Omega_{\pm} = \epsilon_{\alpha 1} - \epsilon_{\alpha} \pm \omega_q$ Further the following Eq. is obtained:

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$$\begin{aligned} u_{\alpha\beta} = \frac{u_1 u_2}{2} \sum_{\substack{q, q' \in \mathbb{Z} \\ q \neq q'}} \frac{C_{q, q'}}{\left(\frac{q-q'}{2}\right)} \left\{ \frac{1}{q'} \left[\psi(q) + \frac{q^2 - q'^2}{2} \frac{1}{2} \Phi(q) \right] + \right. \\ \left. + \left[2u_1 \left(2 \frac{q^2}{\partial q_r \partial q_s} + \frac{q^2}{q'} \ln \frac{q}{\partial q_r} \right) + \right. \right. \\ \left. \left. + 2u_2 \left(u_1 \frac{q^2}{\partial q_r \partial q_s} - 2u_2 \ln \frac{q^2}{\partial q_r \partial q_s} \right) \right] S(q, q') \right\}. \end{aligned} \quad (3.11).$$

In Eqs. (3.10) and (3.11) the following notations are introduced:

$$\left. \begin{aligned} S_j(q, q') &= \sum_{\alpha} \delta(\alpha_j) (f_\alpha(z_j) - f_\alpha(z)) L_{\alpha\alpha'}(q) L_{\alpha\alpha'}(q'), \\ \psi^r(q) &= \sum_{\alpha} \delta(\alpha_r) (f_\alpha(z_r) - f_\alpha(z)) \left(\frac{z_r + z}{2} \right)^r |L_{\alpha\alpha'}(q)|^2, \quad r=1, 2, \end{aligned} \right\} \quad (3.12).$$

$$\left. \begin{aligned} S(q, q') &= S_j(q, q')|_{z=z_j}; \quad \Phi_j(q) = S_j(q, q')|_{z=z_j}, \\ \Phi(q) &= S(q, q')|_{z=z_j}; \quad q, q' = (q_r, q_s), (q'_r, q'_s), \\ |L_{\alpha\alpha'}(q)|^2 &= \left| \int_{-\infty}^{\infty} \Phi_\alpha(x - x_\alpha) e^{i q x} \Phi_{\alpha'}(x - x_{\alpha'}) dx \right|^2. \end{aligned} \right\} \quad (3.13).$$

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With the help of the derivative function for Hermite polynomials the series in Eq. (3.12) are summed for electron quantum numbers and the following is obtained:

$$\begin{aligned} \text{Res}_{\omega} &= \frac{\pi \lambda^2 \omega_0^2 \beta_0}{2E_p(\omega)(\omega_0^2 - \omega^2)^2} \sum_{n=0}^{\infty} \sum_{l=0}^{\infty} \frac{|C_n|^2 \zeta}{\text{sh} \frac{\beta_0}{2} \eta_n} \times \\ &\times Z_0 \left[\left(\omega_0^2 + \frac{\omega^2}{2} \right) \text{ch} \frac{\beta_0}{2} + 4\omega \omega_0 \text{sh} \frac{\beta_0}{2} \left(\frac{\omega}{\omega_0} \right) \right] \Lambda_0^{(n)}, \\ \Pi_{\omega\omega} &= \pi \lambda^2 \beta_0 e^{\beta_0} \sum_{n=0}^{\infty} \frac{|C_n|^2 \zeta}{\text{sh} \frac{\beta_0}{2} \eta_n} \frac{\partial}{\partial \beta} (Z_0 \Lambda_0^{(n)}), \\ \chi_{\omega\omega} &= \pi \lambda^2 \beta_0 e^{\beta_0} \sum_{n=0}^{\infty} \frac{|C_n|^2}{\text{sh} \frac{\beta_0}{2} \eta_n} \left\{ \sum_{l=0,1,2} D_l Z_0 \Lambda_0^{(n)} + \frac{\partial^2}{\partial \beta^2} (Z_0 \Lambda_0^{(n)}) \right\}, \end{aligned} \quad (3.14)$$

where

$$Z_0 = \left(\sqrt{\pi \beta} \text{sh} \frac{\beta_0}{2} \right)^{-1} \exp \left[-\frac{\beta_0^2}{8\pi} - \frac{\zeta}{2} \text{cth} \frac{\beta_0}{2} \right]. \quad (c)$$

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$$\Lambda_j^{(1)} = \int_{-\infty}^{\infty} (dz/2\pi) \exp \left[-z^2/\beta + i \cos(\sqrt{2m}\omega_0 z/q_z) \right] \cos(\sqrt{2m}\omega_q^1 z/q_z) \cos^2(\sqrt{2m}\omega_0 z/q_z);$$

$$\eta = \zeta/2 \operatorname{sh}(\beta\omega_0/2); \Lambda_0^{(1)} = \Lambda_j^{(1)} \omega_j = 0; D_0 = (\zeta/4) [\omega_0^2 + \omega_q^2 (\operatorname{cth}^2(\beta\omega_0/2) - 2\bar{n}^2)];$$

$$D_1 = 2(1 + \bar{n})/\operatorname{sh}(\beta\omega_0/2) (\omega_0^2 + \omega_q^2) (1 + (\zeta/4) \operatorname{cth}(\beta\omega_0/2));$$

$$D_2 = -[(1 + \bar{n})/\operatorname{sh}(\beta\omega_0/2)] \eta (\omega_0^2 + \omega_q^2); \bar{n} = [\exp(\beta\omega_0) - 1]^{-1} \quad (3.14).$$

The results of calculation for different scatterings in the quantum limit $\beta\omega_0 \gg 1$ are given in the table. A. I. Ansel'm, A. Askarov, Y. L. Gurevich, Yu. A. Firsov are mentioned. A. G. Sanoylevich is thanked for discussions. There are 12 references: 6 Soviet-bloc and 6 non-Soviet-bloc. The reference to English-language publication reads as follows: R. Kubo, et al. J. Phys. Soc. Jap., 12, 570, 1957.

ASSOCIATION: Institut poluprovodnikov AN SSSR Leningrad (Institute of Semiconductors, AS USSR, Leningrad)

SUBMITTED: August 22, 1960

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23103

8/181/61/003/005/008/042
B101/B214

94,5100(1057,1537)
244400(1156,1395,1536)

AUTHOR: Klinger, M. I.

TITLE: Derivation of a kinetic quantum equation for a strong magnetic field

PERIODICAL: Fizika tverdogo tela, v. 3, no. 5, 1961, 1354-1365

TEXT: In the preceding paper (Ref. 1: FTT, v. 3, no. 5, 1961, 1342-1353) a theory of the kinetic coefficients $\sigma_{AB}(\omega)$ in strong magnetic field was developed. The same notations are used in the present paper and a quantum mechanical analysis of the kinetic equation is given. 1) The following is written down for deriving the fundamental equation of transfer in a strong magnetic field:

$$\sigma_{AB}(\omega) = \int_{-\infty}^{\infty} dt e^{i\omega t} \int_{-\infty}^{\infty} d\beta \langle BA(t + i\beta) \rangle, \quad (2.1).$$

$E = \omega + i\epsilon, \epsilon \rightarrow +0.$

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